$\qquad$ date $\qquad$ per $\qquad$

## Properties of Air Activity

In this activity, you will observe the effect of pressure on the temperature of air, and find out about the mass of this invisible gas! You will use a pump to add air into a small soda bottle and see what happens to the bottle and the air.

Information: Molecules of atmospheric gases are so small that there are huge numbers in even in a small container. We need a different way to count them, so we use a unit called a mole.
1 mole $=6.02 \times 10^{23}$ atoms or molecules! A mole of air masses 28.99 grams .
The Ideal Gas Law formula helps us calculate gas problems with temperature and pressure:
Ideal Gas Law: $\mathbf{P V}=\mathbf{n R T}$
where
$\mathbf{P}=$ Pressure
$\mathbf{R}=0.08206 \mathrm{~atm} \cdot \mathrm{~L} / \mathrm{mol} \cdot \mathrm{K}$
$\mathbf{V}=$ Volume $\quad \mathbf{n}=$ number of moles of gas
( the gas law constant )
$\mathbf{T}=$ temperature in ${ }^{\circ} \mathrm{K}$
materials:
triple beam balance
liquid crystal thermometer
0.6 Liter plastic soda bottle (clean and dry!)

Fizz-keeper pump.

## Part I : Data collection.

1. Place the thermometer strip inside the bottle and tighten the cap.

Mass the empty soda bottle with thermometer and pump in place
Read the thermometer strip and record the room temperature to the nearest $0.5{ }^{\circ} \mathrm{C}$ $\qquad$ ${ }^{\circ} \mathrm{C}$.
2. Pump up the bottle, counting the number of pumps. Record the mass of the soda bottle after each set of 50 pumps. Put in a total of 200 pumps. Record temperature immediately after pumping, then do the mass. Record your data in the table below:

| Number of times pumped | Temperature <br> in ${ }^{\circ} \mathrm{C}$ | mass in <br> grams |
| :---: | :--- | :--- |
| after 50 pumps |  |  |
| after 100 pumps |  |  |
| after 150 pumps |  |  |
| after 200 pumps |  |  |

3. Without removing the pump completely, quickly allow the gas to escape from the bottle.

Immediately record the temperature and mass Temperature $\qquad$ ${ }^{\circ} \mathrm{C}$ mass $\qquad$ g

## Part II : analysis and calculations

1. Convert the final temperature after the 200th pump was pushed to degrees Kelvin by adding $273^{\circ}$

$$
-^{\circ} \mathrm{C}+273^{\circ}
$$

$\qquad$ ${ }^{\circ} \mathrm{K}$
2. Find the mass of air added to the bottle after each set of 50 pumps.

| Number of times pumped | total mass | mass of empty <br> bottle (tare) | mass of <br> air added |
| :---: | :--- | :--- | :--- |
| after 50 pumps |  |  |  |
| after 100 pumps |  |  |  |
| after 150 pumps |  |  |  |
| after 200 pumps |  |  |  |

3. Convert your room temperature from Part I step 1 to the Kelvin scale by adding $273^{\circ}$ to your Celsius temperature:
4. The air pressure in the classroom is approximately 1.0 Atmosphere (atm). We can rearrange the ideal gas law formula to solve for the number of moles of gas in your container before pumping:

$$
\begin{gathered}
\mathrm{n}=\mathrm{PV} / \mathrm{RT}= \\
(1 \mathrm{~atm} \mathrm{X} 0.60 \mathrm{~L}) \div\left(0.08206 \mathrm{~atm} \cdot \mathrm{~L} / \mathrm{mol} \cdot \mathrm{~K} \quad \mathbf{X} \quad \square^{\circ} \mathrm{K}\right)
\end{gathered}
$$

[^0]
## Finding the pressure of the gas in your bottle:

5. After 200 pumps, how many grams of air were added to the bottle: $\qquad$
6. How many moles of air did you add to the bottle by pumping it up?
(divide the mass from step 5 by $28.97 \mathrm{~g} / \mathrm{mole}$ ) $\qquad$ mol
Add the moles of air in your empty bottle from step 4:
$+$ $\qquad$ mol

So, what is the total moles in your bottle after pumping? $\qquad$ mol
7. Rearrange the ideal gas law formula so that it solves for Pressure (P)

$$
\mathrm{P}=
$$

8. Using the formula you worked out above, plug in your total moles from step 6, Temperature in ${ }^{\circ} \mathrm{K}$ from step 1 , volume of the bottle ( 0.6 L ) and the constant for R and find out the pressure in your bottle after 200 pumps:

Show your work:

$$
\mathrm{P}=
$$

$\qquad$ atm
9. How many molecules of air gases did you add to the bottle after 200 pumps?

Multiply the moles you added by $6.02 \times 10^{23}$ molecules $/$ mole:
$\qquad$ moles $\mathrm{X} 6.02 \times 10^{23}$ molecules/mole $=$ $\qquad$ molecules

## Questions:

1. As you pumped up the bottle, the mass in the bottle increased. Briefly explain why this happens.
2. Why can't you see all that mass of air that you placed in the bottle?
3. What happens to the temperature inside the bottle as you pump it up? (check your data)
4. If you left the bottle alone, pressurized for 2 hours, the temperature inside would change. a. What temperature would the gas in the bottle eventually get to if left alone?
b. Do you think that the mass would also change if you leave the top tightly in place?
5. What happened to the temperature of the gas inside the bottle when the pressure was quickly relieved in step 3 of part I?
6. In the atmosphere, what weather feature would you expect to notice on days when the air pressure is above normal?

What would you expect to happen to the weather if the air pressure suddenly drops?
7. Atmospheric pressure is usually reported in " inches of Mercury". Normal sea level air pressure is $29.96 \mathrm{in} . \mathrm{Hg} .\left(=1.0 \mathrm{~atm}\right.$ or $\left.14.7 \mathrm{lbs} / \mathrm{in}^{2}\right)$. What is today's air pressure? $\qquad$ in. Hg .


[^0]:    note: all you have to do is add in the temperature from step 3 above, then do the calculation

